

In quadratic form Eq. 4-81 is

$$q_{sc} = \frac{-A + \sqrt{A^2 + 4B\psi(\bar{p}_R)}}{2B} \quad (4-82)$$

## Calculation of Inertial-Turbulent (IT) Flow Factor

The value of the IT flow factor  $D$  may be estimated by relating  $D$  to the turbulence factor,  $\beta$ :

$$D = \frac{2.715 \times 10^{-15} \beta k M P_{sc}}{h \bar{\mu} r_w T_{sc}} \quad (4-83)$$

The velocity coefficient or turbulence factor  $\beta$  is found to be related to absolute permeability by Ref. 10,

$$\beta = \frac{4.11 \times 10^{10}}{k^{1.3333}} \quad (4-84)$$

However, Fetkovich et al.<sup>29</sup> observed that  $\beta$  values calculated using Eq. 4-84 were about 100 times lower than calculated from the field data. Thus, Eq. 4-84 was modified to

$$\beta = \frac{4.11 \times 10^{12}}{k^{1.3333}} \quad (4-85)$$

Using values of  $P_{sc} = 14.65$  psia,  $T_{sc} = 520^\circ\text{R}$ ,  $M = 28.966 \times \gamma_g$ , and evaluating viscosity at present average reservoir pressure,  $D$  is calculated as

$$D = \frac{9.106 \times 10^{-3} \gamma_g}{h k^{0.3333} \bar{\mu} r_w} \quad (4-86)$$

For convenience, the values of  $B$  and  $B'$  may be expressed in terms of  $\beta$  rather than  $D$  by substituting for  $D$  from Eq. 4-83 to give

$$\begin{aligned} B' &= \frac{1.422 \times 10^6 \bar{\mu} \bar{z} T}{kh} \left[ \frac{2.715 \times 10^{-15} \beta k M P_{sc}}{h \bar{\mu} \bar{r}_w T_{sc}} \right] \\ &\quad - \frac{1.422 \times 10^6 \mu_z T}{kh} \left[ \frac{2.715 \times 10^{-15} \beta k (28.966 \gamma_g) (14.65)}{h \bar{\mu} r_w (520)} \right] \\ &\quad - \frac{3.1506 \times 10^{-9} \bar{z} T \beta \gamma_g}{h^2 r_w} \end{aligned} \quad (4-87)$$

or

$$B' = \frac{3.1506 \times 10^{-9} T \beta}{h^2 r_w} \quad (4-88)$$